



Load Disaggregation Using Non-negative Matrix Factorization

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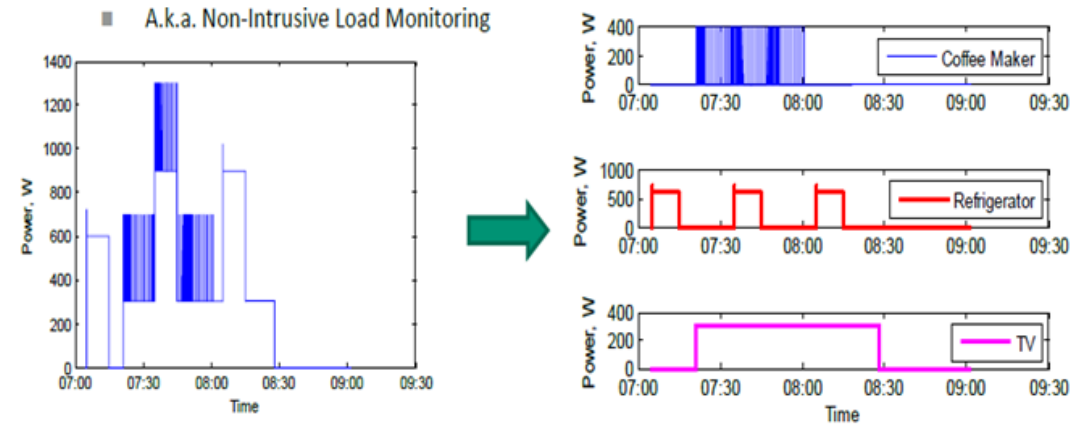
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Introduction

- Energy conservation concerns everyone
 - Energy consumption has grown by 46% in from 1987 to 2007
- Could Load disaggregation provide a means to reduce consumption?
- Self-regulation and monitoring

What is load disaggregation?

- Decomposing aggregate power signal into its composite appliance signals
- Original Methods formed in 1980s at MIT
- Application will determine algorithmic approach



How can we do this?

- The matrix factorization technique

$$X = WH$$

- Where X is the aggregate signal and is $m \times n$ for one day
- W is the basis/dictionary used for training and is $m \times k$
- H is the activation matrix that will provide coefficients and is $k \times n$

How can we do this?

- We have a matrix X_i such that the j^{th} column will contain a day of power consumption signal for device i to form the basis matrix W that is $m \times k$.

$$W = \begin{bmatrix}
 \underbrace{W_{11}^1 \quad W_{11}^2 \quad \cdot \quad \cdot \quad W_{11}^j}_{\text{Device 1}} & \underbrace{W_{21}^1 \quad W_{21}^2 \quad \cdot \quad \cdot \quad W_{21}^j}_{\text{Device 2}} & \dots & \dots & \dots & \underbrace{W_{i1}^1 \quad W_{i1}^2 \quad \cdot \quad \cdot \quad W_{i1}^j}_{\text{Device i}} \\
 W_{12}^1 & \cdot & \vdots & W_{22}^1 & \cdot & \vdots & \ddots & W_{i2}^1 & \cdot & W_{i2}^j \\
 \vdots & & \vdots & \vdots & & \vdots & \ddots & \vdots & & \vdots \\
 \vdots & & \vdots & \vdots & & \vdots & \ddots & \vdots & & \vdots \\
 W_{1m}^1 & W_{1m}^2 & \cdot & \cdot & W_{1m}^j & W_{2m}^1 & W_{2m}^2 & \cdot & \cdot & W_{2m}^j & \dots & \dots & \dots & W_{im}^1 & W_{im}^2 & \cdot & \cdot & W_{im}^j
 \end{bmatrix}$$

How can we do this?

- The aggregate signal which is the summation of all the devices power signals (1,...,k) for a particular time.

$$X = \sum_{i=1}^k W_i$$

- In this research the particular time used was one day

How can we do this?

- Using these two matrices we can find the activation matrix H by solving the following optimization problem:

$$H = \arg \min_{H \geq 0} \|X - WH\|_2^2$$

Estimated Decomposition

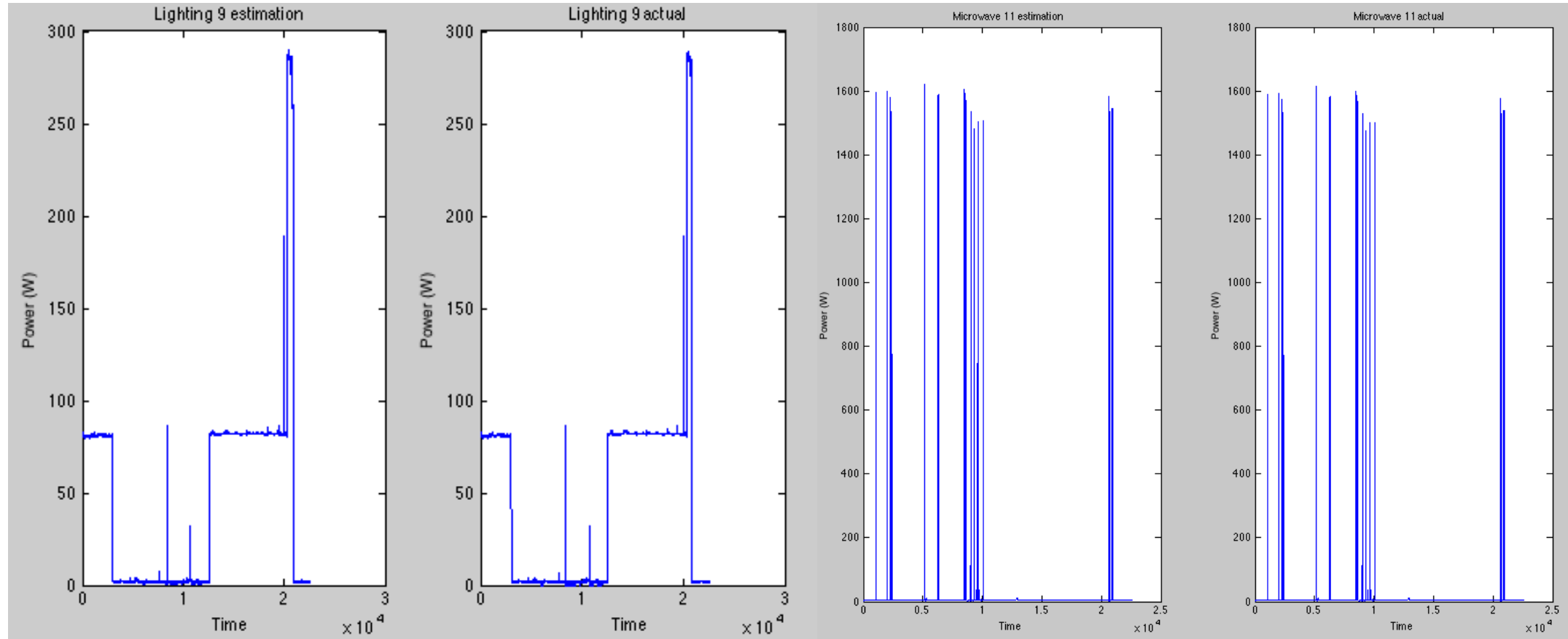
- In order to estimate an appliance signal

$$\hat{X}_i = W_i H_i$$

- This verifies training
- For decomposing next day whole home power
 - Used W from training
 - Found activation matrix H
- Estimations were found and compared to actual data

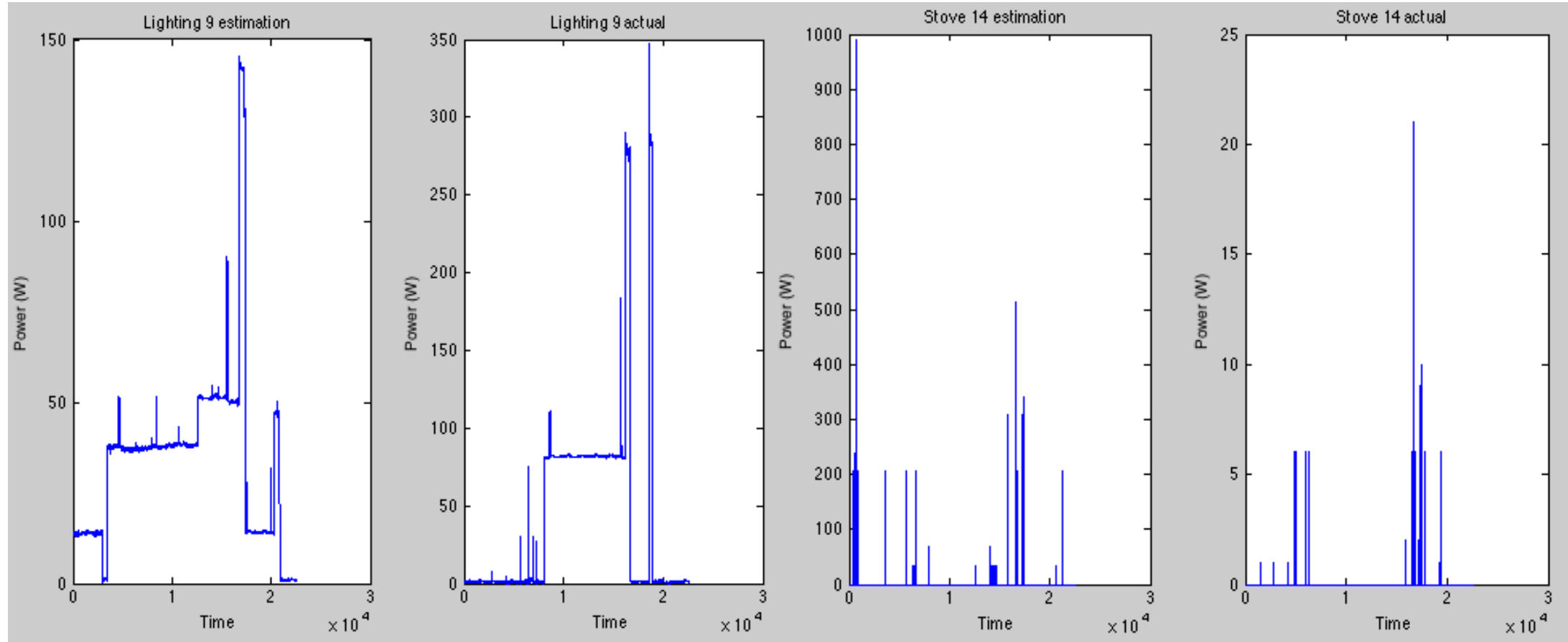
Results

- Training Results:



Results

- Testing Results:



Conclusions

- Although training was successful, testing accuracy was lower.
 - More constraint on the optimization problem
 - Temperature
 - Time of day
 - Etc.
- Generalize the method
 - Train dictionary on several houses and test on different homes

Future Work

- Consider application of constraints to optimization
- Apply the method to several different homes to obtain a generalized method
- Develop an unsupervised technique

Acknowledgements



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Any Questions?